

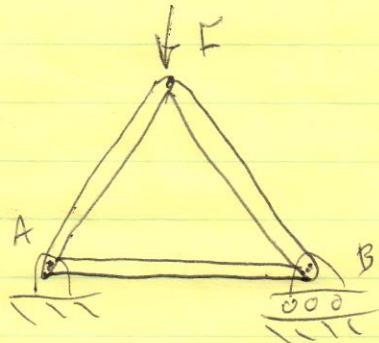
LECTURE 10 CHAPTER 6: ANALYSIS OF STRUCTURES (117)

TRUSSES ARE USED IN BRIDGES AND BUILDINGS.

THE INDIVIDUAL MEMBERS ARE PINNED AT

THE ENDS. = P. 277 ~~286~~

THE SIMPLEST TRUSS IS A TRIANGLE:



WE WILL LEARN TWO WAYS TO ANALYZE TRUSSES:

- METHOD OF JOINTS

- METHOD OF SECTIONS.

OUR IMMEDIATE OBJECTIVE IS TO ~~THE~~ FIND ~~THE~~

WHETHER MEMBERS ARE IN TENSION OR

COMPRESSION, AND THE MAGNITUDE OF THE

FORCE IN EACH MEMBER.

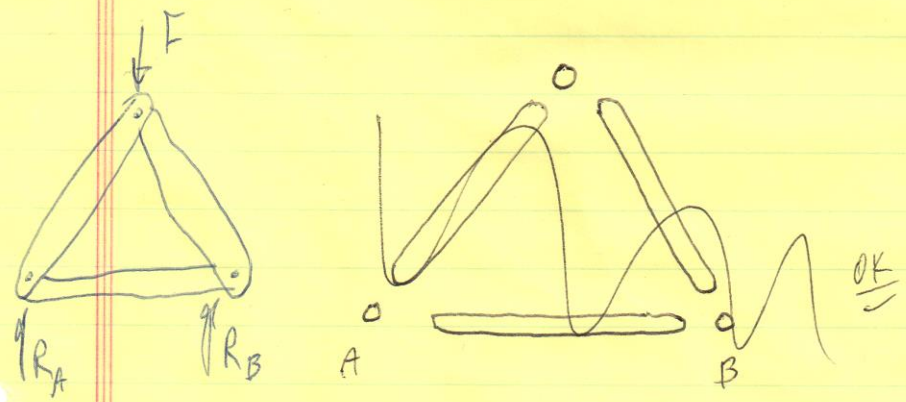
(INTERNAL FORCE VS.  
EXTERNAL FORCE)

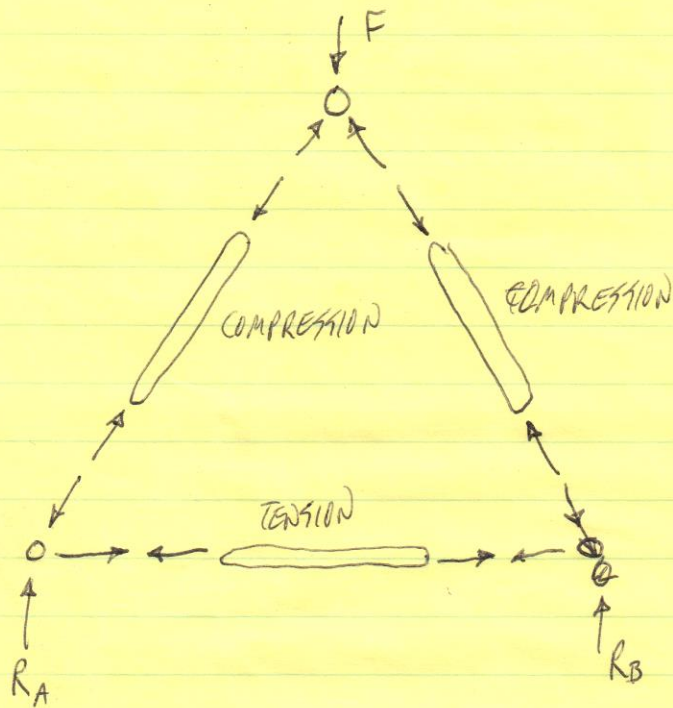
KNOWING THE CROSS-SECTION OF A MEMBER, and THE YIELD STRENGTH OF THE MATERIAL, WE CAN DETERMINE IF A PARTICULAR MEMBER WILL FAIL UNDER THE LOADING CONDITIONS.

BUCKLING

METHOD OF JOINTS

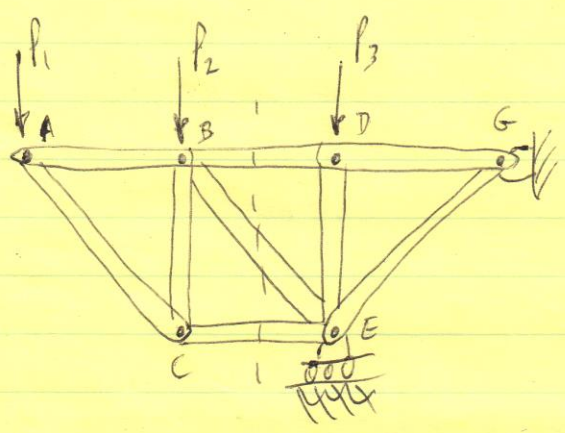
~~DISASSEMBLE~~ DISASSEMBLE THE TRUSS, AND DRAW FREE-BODY DIAGRAMS OF THE PINS AND MEMBERS, WRITE  $\sum F_x = 0$ ,  $\sum F_y = 0$  FOR EACH PIN AND MEMBER.



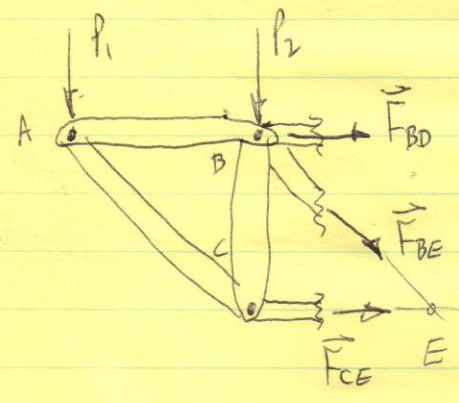


METHOD OF SECTIONS

METHOD OF JOINTS IS USED WHEN ALL FORCES IN MEMBERS IS NEEDED; M.O.S. IS USED WHEN A SELECT FEW ARE NEEDED.



TO FIND  $F_{BD}$ , PASS A SECTION THROUGH NO MORE THAN THREE MEMBERS. LOOK AT THE LEFT-HAND SIDE:

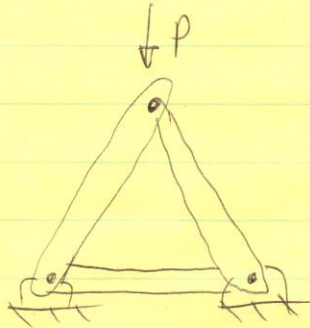


ASSUME DIRECTION OF UNKNOWN FORCES (TENSION IN THIS CASE).

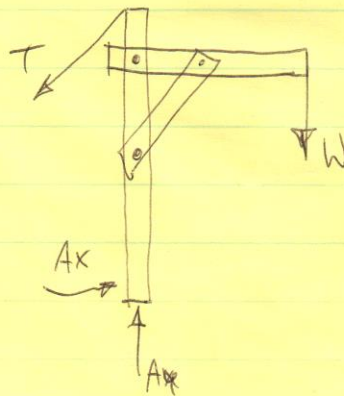
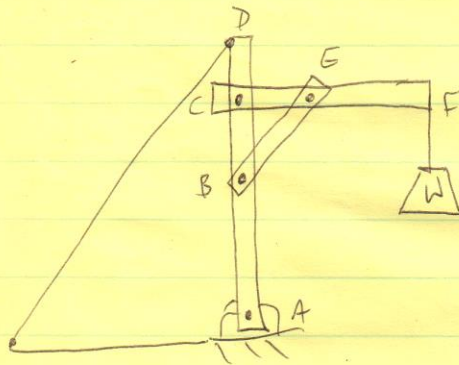
WE CAN  $\sum F_x = 0$ ,  $\sum F_y = 0$ ,  $\sum M = 0$ . IF WE'RE SMART, WE CAN ~~USE~~  $\sum M_E = 0$  TO ELIMINATE  $\vec{F}_{BE}$  AND  $\vec{F}_{CE}$ ; AND THIS GIVES  $\vec{F}_{BD}$  DIRECTLY.

LECTURE 11

WE FOUND THAT TRUSSES WERE COMPOSED OF TWO-FORCE MEMBERS.

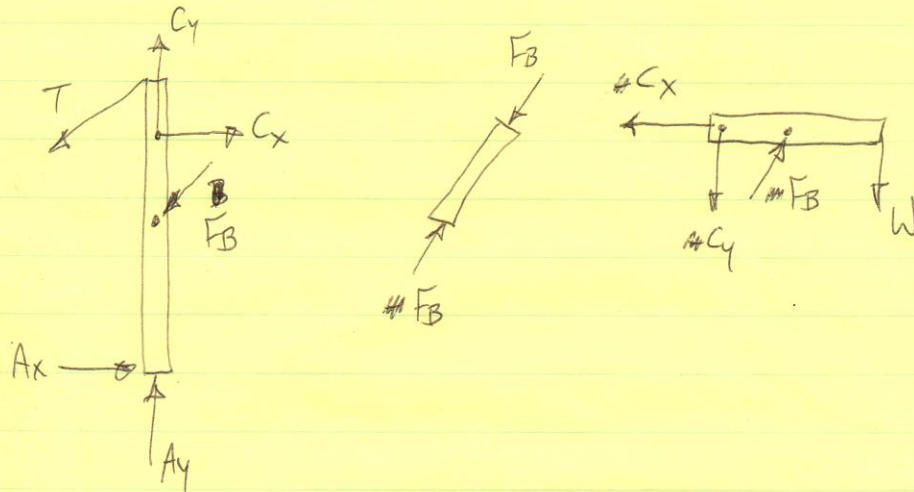


A FRAME IS A STRUCTURE WHOSE MEMBERS MAY BE MULTI-FORCE MEMBERS.



FBD OF ENTIRE FRAME; SOLVE FOR REACTIONS

FBD OF EACH MEMBER: BE IS A 2-FORCE MEMBER



NOW WE CAN  $\sum \vec{F} = 0$  AND  $\sum \vec{M} = 0$  ON THE  
MULTIFORCE MEMBERS TO SOLVE THE PROBLEM.

MACHINES TRANSMIT AND MODIFY FORCES.

MACHINES ARE ANALYZED BY DISASSEMBLING  
INTO COMPONENTS.